



# Super Resolution in GNSS coherent scattering

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# Purpose

Aim of the work: to gain better understanding of the signal scattered by land surface and inland water. Precisely:

- ▶ to improve resolution of GNSS-R in coherent scattering.
- ▶ to determine what is the dominant scattering regime for the observed surface.
- ▶ to optimize coherent and incoherent integration in GNSS-R signal processing.

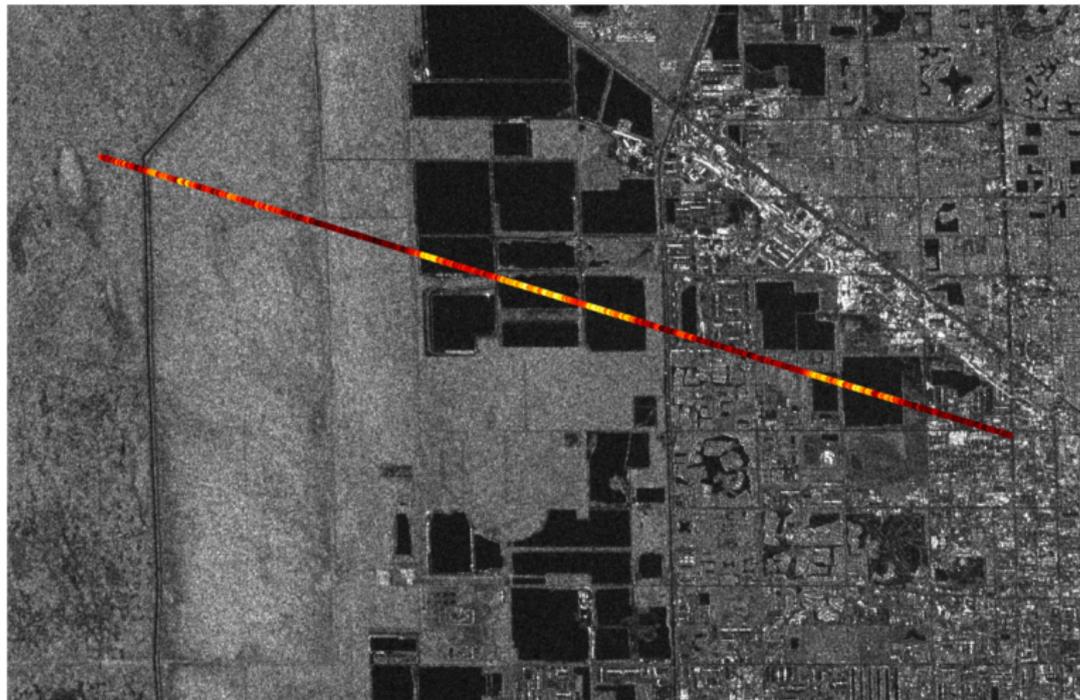
# Preliminary analysis

We consider a Sentinel SAR image acquired over Florida, close to Miami Coast Buffer Water Preserve Area with superimposed CYGNSS collocated 1 ms spaced specular-point power returns.

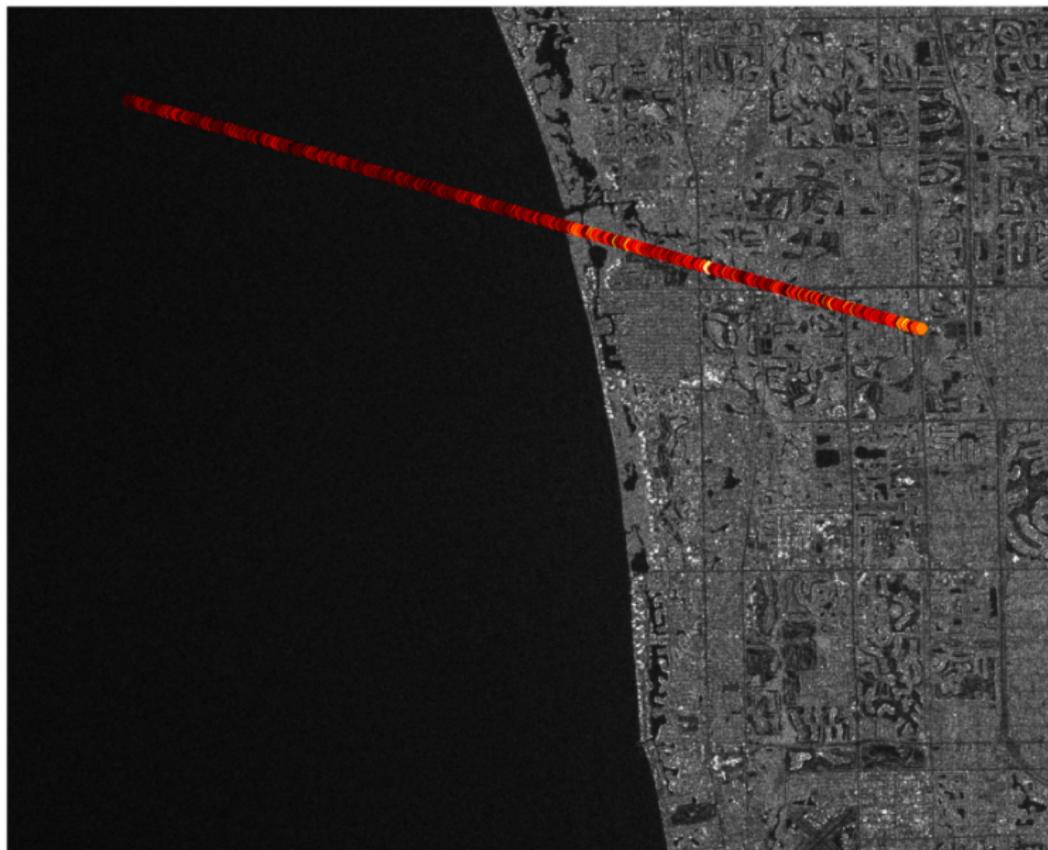
## Datasets

- ▶ CYGNSS dataset: Raw-IF track acquired on January 11th 2019 at 10:47 AM, processed with a Matlab Software processor. Data are oversampled at 16.036 MHz;
- ▶ Sentinel-1 image: Acquired on January 9th 2019.

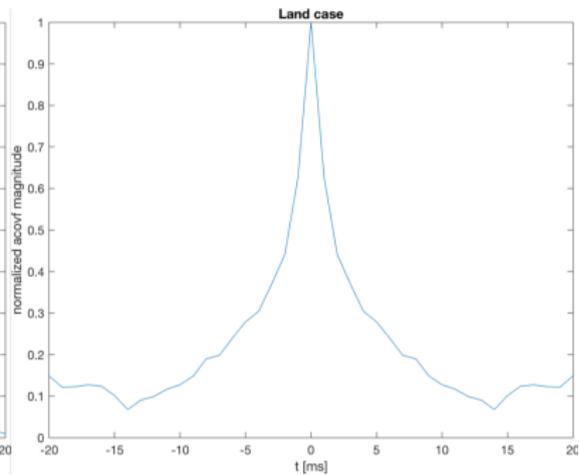
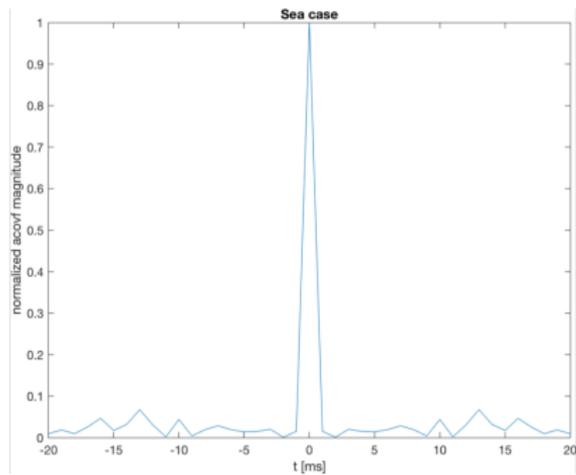
## ....Preliminary analysis



## ....Preliminary analysis



# Results: Along-track correlations



# Comments

- ▶ Figure highlights that 1 ms spaced reflections are highly correlated with the nature of the surface.
- ▶ The resolution is essentially determined by the electromagnetic scattering (i.e. first Fresnel zones);
- ▶ The along track specular points are finely spaced and could be used to investigate the coherence time of the surface reflections.

# Resolutions

Shown in table are the sample spacing, spatial resolution and size of Fresnel zones

Sample spacing at 1 ms lag	6 m
Resolution cell size	26 km
$n^{th}$ Fresnel Zone #	Major axis [m]
1	677
2	958
3	1173
4	1355
5	1515
6	1659
7	1792
8	1915
9	2032
10	2141

# Superresolution method

This technique is well known in angle-of-arrival determination. It is based on subspace approach.

- ▶ We start from complex zero-Doppler 1 ms delay profiles (zero Doppler correlations)
- ▶ The autocorrelation matrix of the complex delay profiles is calculated. In this example we have used 50 delay waveforms.
- ▶ The eigenvectors span a signal subspace and a noise subspace. Arranging the eigenvalues and the corresponding eigenvectors in descending order, two subspaces are determined by splitting the eigenvalues in two classes: the first greatest  $D$  eigenvalues belongs to the signal subspace, the remaining  $M - D$  to the noise subspace.

## ...Superresolution method

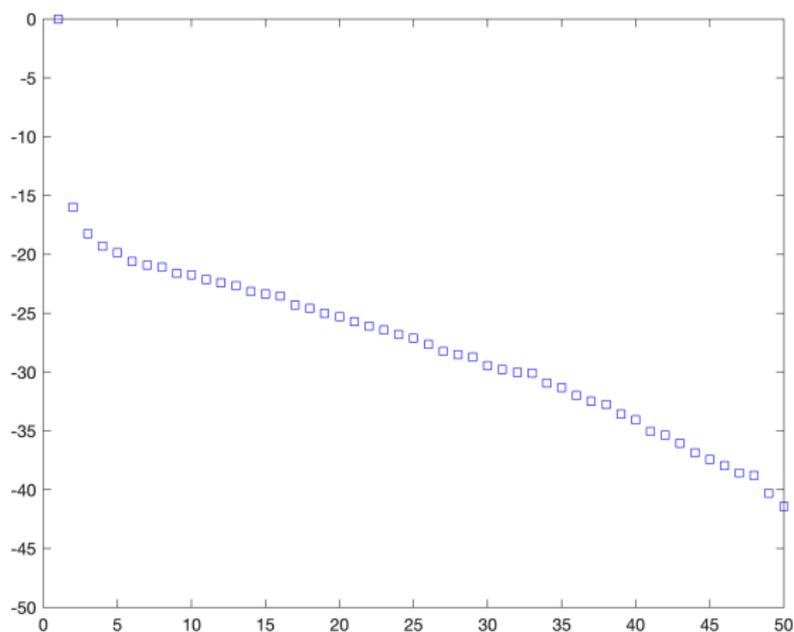
- ▶ The *Super resolution Delay Profile* (**SDP**) is calculated as

$$\text{SDP}(\tau) = \frac{\mathbf{r}_c(\tau)\mathbf{R}^{-1}\mathbf{r}_c^T(\tau)}{\left| \sum_{i=D+1}^M \mathbf{r}_c^T(\tau)\mathbf{e}_i \right|}$$

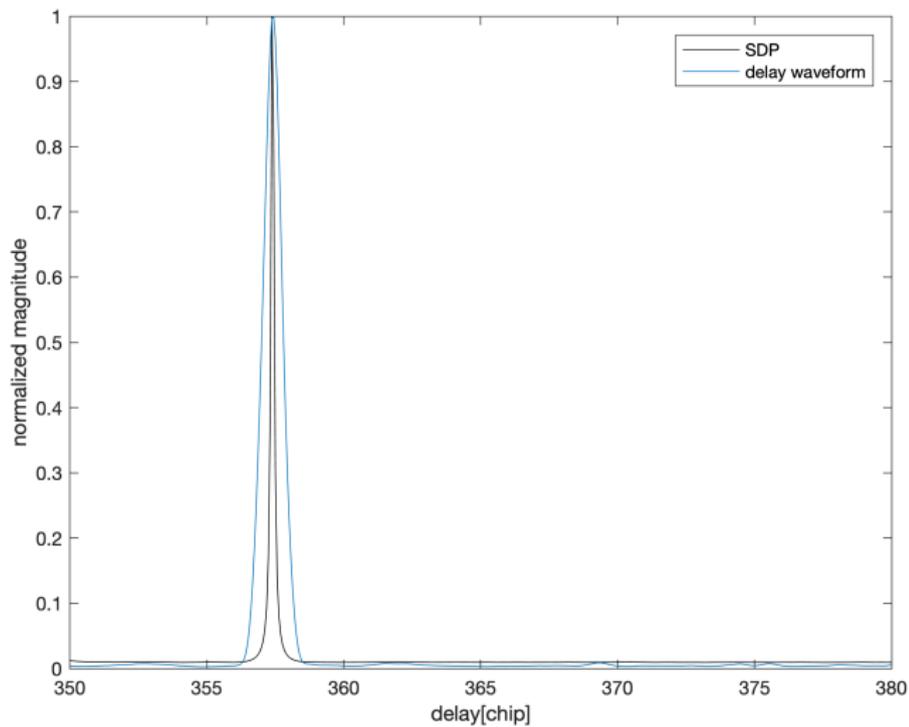
where  $\tau$  is the sample spacing,  $\mathbf{r}_c(\tau)$  is the shifted autocorrelation of the PRN,  $\mathbf{R}$  is the autocorrelation matrix,  $\mathbf{e}_i$  are the eigenvectors.

# Results: Eigenvalues

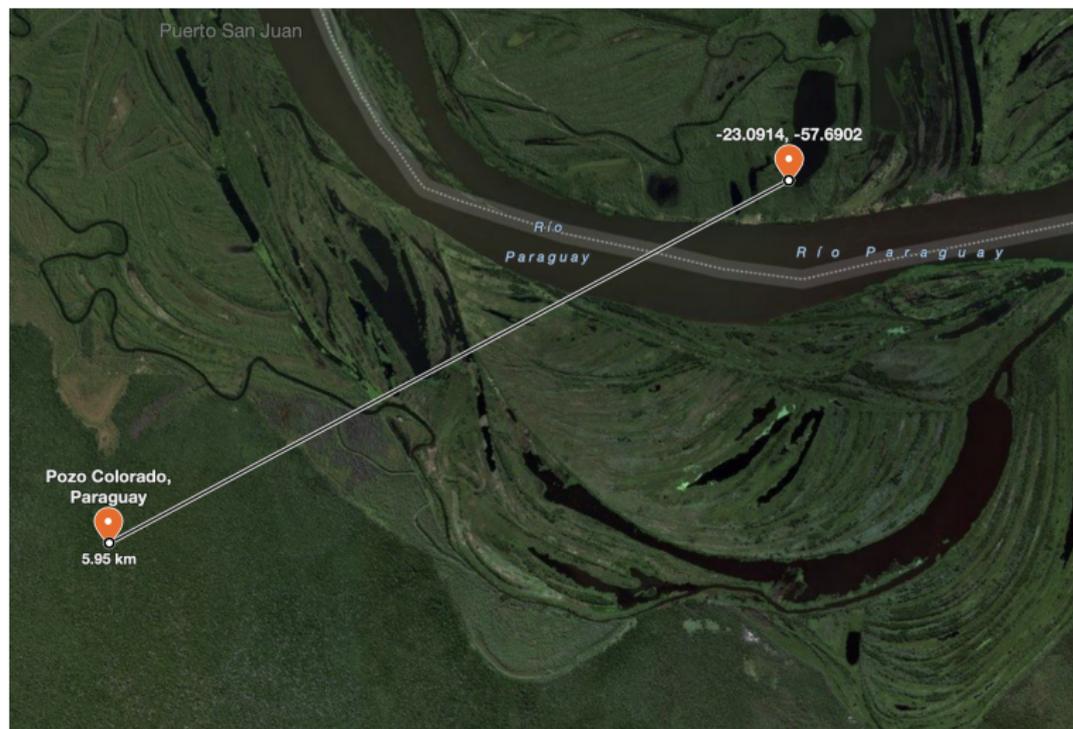
Example in case of coherent reflection.



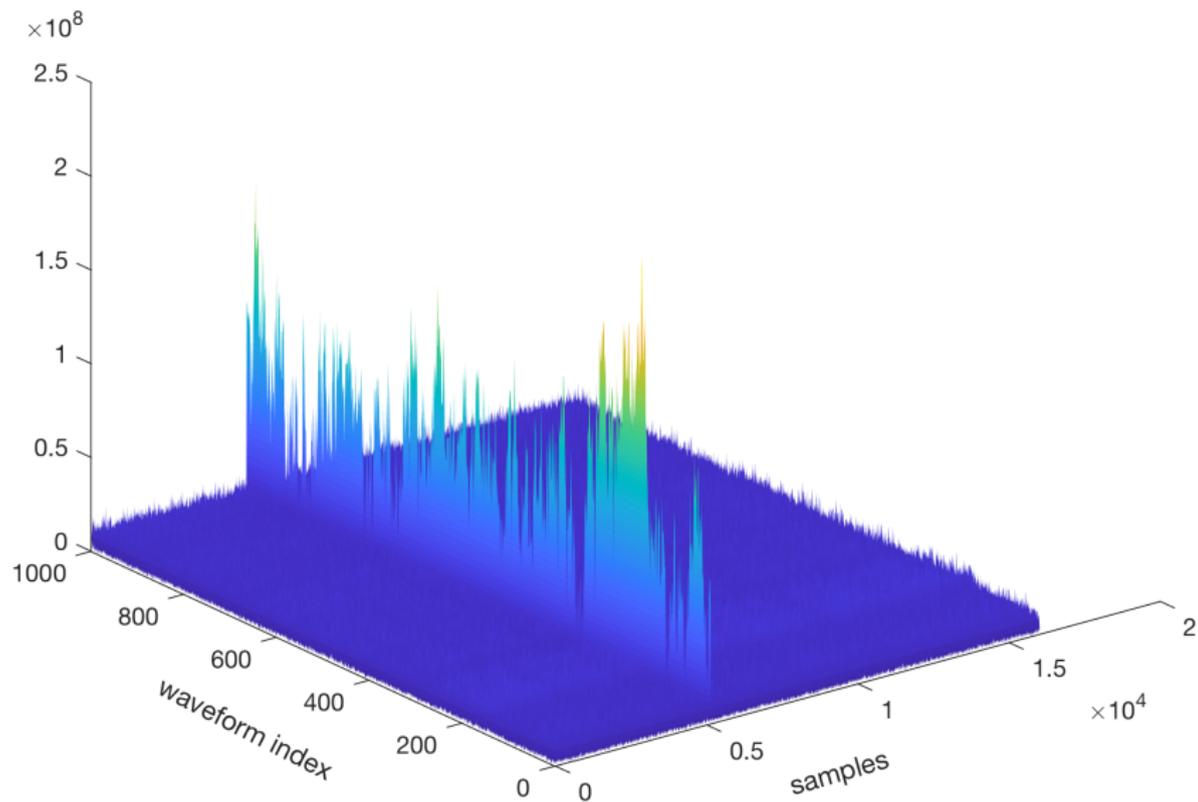
## Results: Superresolution delay profile



## Results: SD profile



## Results: SD profile



# Conclusions

- ▶ The presence of dominant eigenvalues can be used to determine if we reflection is coherent or not.
- ▶ The number of dominant eigenvalues is tied to the size of the scattering region.
- ▶ The along track correlation can be used for optimizing the coherent and incoherent processing.

**Grazie di tutto**